## 326. The Dipole Moments of Furan and Thiophen measured in the Dissolved and in the Gaseous State.

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The magnitudes of $\mu_{\text {gas }}$ and $\mu_{\text {benzene }}$ of furan and thiophen are found to agree, qualitatively for furan and quantitatively for thiophen, with equations (1), (2), and (4) listed previously by Buckingham and Le Fèvre (J., 1952, 1932). An analysis of the observed dielectric constants, densities, and refractive indexes of solutions in benzene supports various suggestions made by Guggenheim and by Smith. Consequent changes are indicated in the routine procedures to be used here for obtaining $\infty P_{2}$.

OUR recent communications on molecular polarity have discussed, inter alia: (a) the calculation of the total polarisation of a solute at infinite dilution from a set of dielectric constant, density, and composition data covering a range of concentrations of a given substance in one solvent, and (b) the devising of relations whereby " apparent " moments measured in solution may be converted into the " true " values observed for the gaseous state. For (a), we refer principally to a paper by Le Fèvre (Trans. Faraday Soc., 1950, 46, 1) giving our methods of computation and comparing them with those of other groups of workers. On (b) we cite particularly Buckingham and Le Fèvre's equations ( $J ., 1952$, 1932) based partly on previous work ( $J$., 1950, 276, 283, 290, 295, 556, 1829, 2166, 3370 ; 1951, 2583; 1952, 16431649 1651; Trans. Faraday Soc., 1947, 43, 374; 1950, 46, 812 ; 1951, 47, 357.

Following Le Fèvre's paper, three others bearing on topic (a) have appeared (Smith, Trans. Faraday Soc., 1950, 46, 394; Everard, Hill, and Sutton, ibid., p. 417; Guggenheim, ibid., 1951, 47, 573). All accept that the molecular polarisation of a solute at infinite dilution should be computed with quantities actually measured rather than extrapolated from the partial polarisations derived from individual solutions via earlier mixture "rules" (such as $P_{12}=P_{1} w_{1}+P_{2} w_{2}$ ). Minor differences between the authors concern the modes of concentration dependence to be best assumed for $\varepsilon_{12}$ and $d_{12}$ : on one hand, Sutton and his colleagues take straight-line relations for $\varepsilon_{12}$ or $v_{12}$ (specific volume of solution) versus $w_{2}$; on the other, Le Fèvre, Smith, and Guggenheim prefer to regard these as, in general, curved, although many sets of data lead to only very slight curvature. Ultimately in either case values of $\left[\left(\varepsilon_{12}-\varepsilon_{1}\right) / w_{2}\right]_{w_{2}=0},\left[\left(v_{12}-v_{1}\right) / w_{2}\right]_{w_{2}=0}$, or $\left[\left(d_{12}-d_{1}\right) / w_{2}\right]_{w_{2}=0}$, etc., are required.* Accordingly, Le Fèvre (loc. cit.) wrote $\varepsilon_{12}=\varepsilon_{1}\left(1+\alpha w_{2}+\alpha^{\prime} w_{2}^{2}\right)$, so that $\left[\left(\varepsilon_{12}-\varepsilon_{1}\right) / w_{2}\right]_{w_{2}}=\alpha \varepsilon_{1}+\alpha^{\prime} \varepsilon_{1} w_{2}$. Similar expressions were set up for $d_{12}$. The quotients on the left-hand sides of these equations should have been therefore-whenever $\alpha^{\prime}$ was not zero-rectilinear against $w_{2}$, so that $\alpha \varepsilon_{1}$ (or $\beta d_{1}$ ) could be determined by the method of least squares. Guggenheim (personal communications, and Trans. Faraday Soc., 1951, 47, 573) has criticised the last step on the ground that minimising $\Sigma\left[\left(\varepsilon_{12}-\varepsilon_{1}-\right.\right.$ $\left.\alpha \varepsilon_{1} w_{2}-\alpha^{\prime} \varepsilon_{1} w_{2}^{2}\right) / w_{2}{ }^{2}$ unduly weights the measurements of lower accuracy at higher dilutions. We concur, and in future work intend to fit observations of $\delta \varepsilon=\varepsilon_{12}-\varepsilon_{1}$ (or $\delta d=d_{12}-d_{1}$ ) to formulæ of the type $\delta \varepsilon=\alpha w_{2}+b w_{2}{ }^{2}$. The constant $a$ will then be $\left(\alpha \varepsilon_{1}\right)_{w_{2}=0}$ or $\left(\beta d_{1}\right)_{w_{2}=0}$, respectively, for the variation of $\varepsilon_{12}$ or $d_{12}$ with $w_{2}$.

Both Guggenheim (Trans. Faraday Soc., 1949, 45, 715; loc. cit.) and Smith (loc.cit.) have described the estimation of orientation polarisations at infinite dilution, $\infty\left({ }_{0} P_{2}\right)$, by methods which do not appear to involve the accurate measurement of densities. Thus, if the limiting values at $w_{2}=0$ of $\delta \varepsilon / w_{2}$ and $\delta n^{2} / w_{2}$ ( $n$ being the refractive index) are $\alpha \varepsilon_{1}$ and $\gamma n_{1}{ }^{2}$, Smith's proposal leads to $\infty\left({ }_{o} P_{2}\right)=3 M_{2} v_{1}\left[\varepsilon_{1} /\left(\varepsilon_{1}+2\right)^{2}-\gamma n_{1}{ }^{2} /\left(n_{1}{ }^{2}+2\right)^{2}\right]$. However, this simplification involves an error which can be assessed by subtracting from e.g., Halverstadt and Kumler's equation (J. Amer. Chem. Soc., 1942, 64, 2988) for $\infty P_{2}$ a corresponding equation, viz., $R_{2}=M_{2}\left[\left(v_{1}+b\right)\left(n_{1}{ }^{2}-1\right) /\left(n_{1}{ }^{2}+2\right)+3 v_{1} \gamma n_{1}{ }^{2} /\left(n_{1}{ }^{2}+2\right)^{2}\right]$, for the molecular refraction, whereupon the full $\infty\left({ }_{o} P_{2}\right)$ is seen to exceed that from Smith's

[^0]expression by the extra term $3 M_{2}\left(v_{1}+b\right)\left(\varepsilon_{1}-n_{1}^{2}\right) /\left(\varepsilon_{1}+2\right)\left(n_{1}{ }^{2}+2\right)$. This is negligible when $\varepsilon_{1}$ and $n_{1}{ }^{2}$ are nearly equal and $M_{2}$ not too great, but if $b\left\{i . e .,\left[\left(v_{12}-v_{1}\right) / w_{2}\right] w_{2}=0\right\}$ is large, or $\alpha \varepsilon_{1}$ of the same order as $\gamma n_{1}{ }^{2}$, results may be disappointing. Two numerical applications are discussed later.

The primary motive for the present work arose from the matters listed at the outset under (b). Buckingham and Le Fèvre (loc. cit.) recorded polarity measurements for thirteen compounds, chosen for their range of molecular shapes, to guide the selection of the best relation with which to connect $\mu_{\text {solation }}$ with $\mu_{\text {gas. }}$. On the whole the greatest success was achieved with the larger molecules. Published figures for small molecules as vapours and as solutions are sparse; usually only $\mu_{\text {gas }}$ is available, and $\mu_{\text {solution }}$ is lacking. With dissolved gases dependable accuracy is difficult to ensure, as experience with carbon suboxide, carbonyl chloride (J., 1935, 1696), methylamine, etc. (Trans. Faraday Soc., 1947, 43, 374), sulphur dioxide ( $J ., 1950,276$ ), methyl chloride ( $J ., 1950,556$ ), ethylene oxide ( $J ., 1950,3370$ ), keten ( $J ., 1951,2583$ ), dimethyl ether ( $J ., 1952,1643$ ), hydrogen sulphide ( $J ., 1952,1651$ ), etc., has shown. We therefore decided to examine furan and thiophen since both these are ordinarily liquid and have had their structures metrically described (cf. Allen and Sutton, Acta Cryst., 1950, 3, 46). Moreover, their low dipole moments made them suitable for illustrating the points raised under (a).

## Experimental

Furan, prepared as in Org. Synth. (Coll. Vol. I, 1941, p. 274), was dried (Na) and distilled immediately before use; it had b. p. $32^{\circ} / 760 \mathrm{~mm}$. Thiophen, supplied by the Socony-Vacuum Oil Co., U.S.A., was dried (Na) and fractionated; the portion collected had b. p. $84 \cdot 0^{\circ} / 761 \cdot 4$ mm . The benzene used as solvent was " crystallisable" grade which had been refluxed over aluminium chloride for some hours, washed several times with sulphuric acid followed by water, then dried ( Na ) and distilled. The product was partially frozen in contact with sodium wire and the fully solid portion remaining after decantation allowed to remelt.

The polarisations of furan and thiophen as gases were measured relatively to carbon dioxide with the apparatus and procedure described in $J ., 1950,290$. Data are presented in Table 1,

Table 1. Polarisation-temperature relations for furan and thiophen as gases.

[The calibration equation used for both the above sets was $(\delta C / p)_{\mathrm{cO}_{2}}=-0.054+2307 \cdot 4 / T$.]
the headings of which are self-explanatory except for $x / x^{\prime}$ which is the observed ratio $(\delta C / p)_{p=0}^{\mathrm{gan}} \mathrm{o} /(\delta C / p)_{p=0}^{\mathrm{CO}} \mathrm{O}_{\mathbf{0}}$, whence $P_{\mathrm{gas}}$ follows as $x P_{\mathrm{co}_{z}} / x^{\prime}$.

Dielectric constants ( $\varepsilon$ ), densities (d), and refractive indices ( $n_{\mathrm{D}}$ ) for each of the solutes at various concentrations expressed as weight fractions ( $w$ ) in benzene at $25^{\circ}$ are recorded in Table 2. They were determined by standard techniques (cf. $J ., 1948,1949 ; 1949,333$; " Dipole Moments," Methuen, 1948, Chap. II).

Calculation of Results.-The equations of the form $P=A+B / T$ shown in Table 1 were computed by the method of least squares. If $P_{\text {obs. }}$ minus $P_{\text {calc. }}$ is $\Delta$, and $n$ the number of temperatures studied, the standard errors in the $A$ and $B$ terms are given by $\pm s\left\{\left[\Sigma(1 / T)^{2}\right] / D\right\}^{\frac{1}{2}}$ and $\pm s(n / D)^{\frac{1}{2}}$, respectively, where $s=\left[\left(\Sigma \Delta^{2}\right) /(n-2)\right]^{\frac{1}{2}}$ and $D=n \Sigma(1 / T)^{2}-[\Sigma(1 / T)]^{2}$ (cf. Youden, Analyt. Chem., 1947, 19, 946). Inserting appropriate values, we have
for furan : $P=(19.63 \pm 0.47)+(3180 \pm 170) / T \quad$ whence $\mu=0.72 \pm 0.02 \mathrm{D}$
for thiophen : $P=(23.83 \pm 0.67)+(1871 \pm 249) / T \quad$ whence $\mu=0.55 \pm 0.04 \mathrm{D}$

The measurements listed in Table 2 have been utilised to test the three extrapolation procedures used here for several years. All are based on the proposals made by Le Fèvre and Vine ( $J ., 1937,1805$ ) and require estimates of the two "constants" $\alpha$ or $\beta$ ( p .1622 ) ; these may be

Table 2. Dielectric constants, densities, etc., for furan and thiophen in benzene at $25^{\circ}$. Furan

| $10^{5} w_{2}$ | $\varepsilon$ | d | $n_{\text {D }}$ | $10^{5} w_{2}$ | $\varepsilon$ | $d$ | $n_{\text {D }}$ | $10^{5} w_{2}$ | $\varepsilon$ | $d$ | ${ }^{1} \mathrm{D}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | $2 \cdot 2725$ | 0.87378 | $1 \cdot 4976$ | 4425 | $2 \cdot 3003$ | 0.87596 | $1 \cdot 4940$ | 7995.5 | 2.3208 | 0.87774 |  |
| $1709 \cdot 5$ | $2 \cdot 2833$ | 0.87469 | - | 5622.5 | $2 \cdot 3077$ | $0 \cdot 87659$ | - | 8276 |  |  | 1.4911 |
| 3565 | $2 \cdot 2948$ | 0.87562 | - | 5935 | $2 \cdot 3090$ | $0 \cdot 87679$ | - | $8510 \cdot 5$ | 2.3231 | $0 \cdot 87803$ |  |
| 3702 | $2 \cdot 2956$ | 0.87567 |  | $5935 \cdot 5$ | $2 \cdot 3090$ | $0 \cdot 87678$ | 1.4930 | 8995 | - | - | $1 \cdot 4907$ |
| Thiophen |  |  |  |  |  |  |  |  |  |  |  |
| $10^{5} w_{3}$ | $\varepsilon$ | d | $n_{\text {D }}$ | $10^{5} w_{2}$ | $\varepsilon$ | $d$ | $n_{\text {D }}$ | $10^{5} w_{2}$ | $\varepsilon$ | d | $n_{\text {D }}$ |
| 0 | $2 \cdot 2725$ | 0.87378 | $1 \cdot 4976$ | 2459 | - | 0.87769 | - | 5403 | - | 0.88225 | - |
| 634 | $2 \cdot 2754$ | 0.87481 | - | 3088 | $2 \cdot 2820$ | 0.87806 | $1 \cdot 4980$ | 5874 | $2 \cdot 2909$ | 0.88250 |  |
| 1318.5 | $2 \cdot 2777$ | 0.87587 | - | 3758 | - | $0 \cdot 87970$ | - | 6994 | $2 \cdot 2947$ | 0.88452 |  |
| 1673 | $2 \cdot 2783$ | $0 \cdot 87685$ | - | 4312 | $2 \cdot 2876$ | - | - | 8890 | - | - | $1-4992$ |
| 1962 | $2 \cdot 2802$ | - | - | 4960 | - | - | 1.4985 |  |  |  |  |

obtained by averaging expressions (1), (2), (7), and (8), fitting a straight line to the apparent values of $\alpha \varepsilon_{1}$ or $\beta d_{1}$ at each $w_{2}$ [expressions (3), (4), (9), (10)], or assuming that $\delta \varepsilon=\varepsilon_{12}-\varepsilon_{1}$ and $\delta d=d_{12}-d_{1}$ are related to $w_{2}$ by a power series [expressions (5), (6), (11), (12)]. Thus from Table 2 we derive for furan :

$$
\begin{align*}
& \Sigma\left(\varepsilon_{12}-\varepsilon_{1}\right) / \Sigma\left(w_{2}\right)=0.613  \tag{1}\\
& \Sigma\left(d_{12}-d_{1}\right) / \Sigma\left(w_{2}\right)=0.0503_{5}  \tag{2}\\
& \left(\alpha \varepsilon_{1}\right)_{w_{2}}=0.641_{5}-0.48 w_{2} \tag{4}
\end{align*}
$$

$$
\begin{align*}
& \left(\beta d_{1}\right)_{w_{2}}=0.0528-0.042 w_{1}  \tag{6}\\
& \delta \varepsilon=0.646 w_{2}-0.57 w_{2}{ }^{2}  \tag{5}\\
& \delta d=0.0517 w_{2}-0.024 w_{2}{ }^{2} . \tag{3}
\end{align*}
$$

and for thiophen :

$$
\begin{align*}
& \Sigma\left(\varepsilon_{12}-\varepsilon_{1}\right) / \Sigma\left(w_{2}\right)=0.336  \tag{7}\\
& \Sigma\left(d_{12}-d_{1}\right) / \Sigma\left(w_{2}\right)=0.154_{5}  \tag{8}\\
& \left(\alpha \varepsilon_{1}\right)_{w_{2}}=0.415-1.71 w_{2} \tag{10}
\end{align*}
$$

$$
\begin{align*}
& \left(\beta d_{1}\right)_{w_{2}}=0.166-0.231 \\
& \delta \varepsilon=0.373 w_{2}-0.86 w_{2}{ }^{2}  \tag{11}\\
& \delta d=0.156 w_{2}-0.042_{5} w_{2}^{2} . \tag{12}
\end{align*}
$$

We have used all the above to calculate $\delta \varepsilon$ and $\delta d$ and find that the sums, for each equation, of the squares of the differences from the observed values run in descending orders as follow :

$$
\text { for furan }\left\{\begin{array} { l l l l } 
{ \delta \varepsilon } & { \cdot } & { \cdot } & { ( 1 ) > ( 3 ) = ( 5 ) } \\
{ \delta d } & { \cdot } & { \cdot } & { ( 2 ) > ( 4 ) > ( 6 ) }
\end{array} \quad \text { for thiophen } \left\{\begin{array}{llll}
\delta \varepsilon & \cdot & (7)>(9)>(11) \\
\delta d & \cdot & (8) \doteqdot(10)>(12)
\end{array}\right.\right.
$$

Similar surveys, e.g., on the solutions discussed in Trans. Faraday Soc., 1950, 46, 1, have shown the same sequences. Accordingly, we propose in future to replace forms such as (3) or (4) by (5) or (6) whenever $\varepsilon_{12}$ or $d_{12}$ measurements are clearly seen not to be rectilinear with $w_{2}$. This amends the practice recommended in the paper just cited.

In such cases it will be of interest therefore to assess the standard error of the constant $\alpha$ in a regression of the type $\delta Q=a w_{2}+b w_{2}{ }^{2}$. If $\Delta$ is the difference between $(\delta Q)_{\text {obs. }}$ and $(\delta Q)_{\text {calc., }}$, the desired standard error is $\pm\left[\left(\Sigma \Delta^{2}\right) /(\text { degrees of freedom }) \Sigma\left(w_{2}-\bar{w}_{2}\right)^{2}\right]^{\frac{1}{2}}$.

Thus $\alpha \varepsilon_{1}$ and $\beta d_{1}$ at $w_{2}=0$ become, from Table 2,

$$
\begin{aligned}
& \text { for furan : } \alpha \varepsilon_{1}=0.646 \pm 0.008 ; \beta d_{1}=0.0517 \pm 0.0006 \\
& \text { for thiophen : } \alpha \varepsilon_{1}=0.373 \pm 0.013 ; \beta d_{1}=0.156 \pm 0.005
\end{aligned}
$$

whence, using $\infty P_{2}=p_{1}(1-\beta)+C \alpha \varepsilon_{1}$, and multiplying by $M_{2}$, we find $\infty P_{2}$ to be $30 \cdot 10 \pm$ 0.12 c.c. for furan or $29.45 \pm 0 \cdot 34$ c.c. for thiophen.

Using the distortion polarisations reported above (viz., $19.63 \pm 0.47$ and $23.83 \pm 0.67$ c.c., respectively), we obtain the apparent moments in benzene of these solutes as :

$$
\text { furan : } \mu=0.71_{5} \pm 0.02 \mathrm{D} \quad \text { thiophen }: \mu=0.52 \pm 0.05 \mathrm{D}
$$

We now refer to the approximate calculation of orientation polarisations by routes which avoid $d_{12}$ determinations (see p. 1622). Knowledge of ( $n_{12}{ }^{2}-n_{1}^{2}$ )/ $w_{2}$ for $w_{2}=0$ is required; since usually the refractive index of a solution obeys the equation $n_{12}{ }^{2}=n_{1}{ }^{2}\left(1+\gamma w_{2}\right)$, a mean value of $\gamma n_{1}{ }^{2}$ can be obtained as $\Sigma\left(n_{12}{ }^{2}-n_{1}{ }^{2}\right) / \Sigma w_{2}$. From Table 2 this magnitude is -0.234 for furan and +0.0514 for thiophen. As a check on these, $R_{2}$ may be computed as $M_{2} r_{2}$ via

$$
\begin{equation*}
\infty^{\gamma_{2}}=\gamma_{1}(1-\beta)+G \gamma n_{1}^{2} \tag{a}
\end{equation*}
$$

where $G=3 / d_{1}\left(n_{1}{ }^{2}+2\right)^{2}=0.1907$, and $r_{1}=0.3352$ c.c. The molecular refractions thus derived ( 18.4 and 24.0 c.c.) are close to those ( 18.4 for $\alpha$ line, 24.3 for D line) listed in LandoltBörnstein's "Tabellen." If equation ( $a$ ) is subtracted from Le Fèvre and Vine's equation (b)

$$
\begin{equation*}
\propto p_{2}=p_{1}(1-\beta)+C \alpha \varepsilon_{1} \tag{b}
\end{equation*}
$$

the specific orientation polarisation at infinite dilution follows as:

$$
\begin{equation*}
{ }_{\infty}\left(o p_{2}\right)=\frac{3(1-\beta)\left(\varepsilon_{1}-n_{1}^{2}\right)}{\overline{d_{1}\left(\varepsilon_{1}+2\right)\left(n_{1}^{2}+2\right)}+\frac{3}{d_{1}}\left[\frac{\alpha \varepsilon_{1}}{\left(\varepsilon_{1}+2\right)^{2}}-\frac{\gamma n_{1}^{2}}{\left(n_{1}^{2}+2\right)^{2}}\right] . . ~} \tag{c}
\end{equation*}
$$

These terms are equivalent to those quoted on p. 1622, but are more suitable for the insertion of quantities already recorded in this paper. Smith's suggestion (loc. cit.) is to omit the lefthand member of (c).

Substitution of the appropriate values of $\beta, \alpha \varepsilon_{1}$, etc., shows that ( $c$ ) is, for furan ${ }_{\infty}\left({ }_{o} p_{2}\right)=$ $0.005+0.166$ c.c., and for thiophen ${ }_{\infty}\left({ }_{o} p_{2}\right)=0.005+0.060$ c.c.

Smith's proposal therefore neglects terms which are ca. 3 or $8 \%$ respectively of the apparent orientation polarisations deducible by the normal "refractivity" method. Guggenheim's approximation (loc.cit.), that ${ }_{\infty}\left({ }_{o} p_{2}\right)=3\left(\alpha \varepsilon_{1}-\gamma n_{1}{ }^{2}\right) / d_{1}\left(\varepsilon_{1}+2\right)^{2}$, applied to the present examples yields values ( $0.165_{5}$ and $0.060_{5}$ c.c.) which are close to those by Smith's procedure. However, despite the percentage errors just mentioned, the moments (viz., 0.7 and 0.5 D ) estimated via these " short-cut" routes compare satisfactorily with the values $0.71_{5} \pm 0.02$ and $0.52 \pm 0.05 \mathrm{D}$ recorded above.

## Discussion

Comparison with Earlier Determinations.-Moments previously reported for furan and thiophen are included in Table 3 (measurements in solution being indicated by the formula of the solvent).

Table 3. Recorded dipole moments of furan and thiophen.


The Ratios $\mu_{\text {solution }} / \mu_{\text {gas }}$. -These are seen to be, from experiment, $0.99 \pm 0.06$ for furan and $0.94_{5} \pm 0.16$ for thiophen; they will now be compared with predictions by Buckingham and Le Fèvre's equations nos. (1), (2), and (4) (loc. cit.).

Necessary data-other than those already quoted in this paper-are the following: From scale drawings, using the dimensions listed by Allen and Sutton (Acta Cryst., 1950, 3,46 ), upon which " Wirkungsradien " are superposed, we derive :

|  | A | b | C | Exp | $\xi$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Furan | $5 \cdot 10$ | $6 \cdot 11$ | $2 \cdot 90$ | $0 \cdot 624$ | 0.28 |
| Thiophen | $5 \cdot 82$ | 6.44 | 3.08 | 0.555 | $0 \cdot 26$ |

The internal field functions $\xi$ are evaluated from $A / B$ and $C / B$ more conveniently by using Osborn's tables of demagnetising factors (cf. Phys. Review, 1945, 67, 351) than the small diagram originally published by Ross and Sack (Proc. Phys. Soc., 1950, 63, 893). The refractive indices of the two solutes at $25^{\circ}$ (Na light) are $1 \cdot 4186$ and $1 \cdot 5270$, respectively.

Substitution gives $\mu_{C_{0} \mathrm{H}_{\mathrm{G}}} / \mu_{\text {gas }}$ by the various equations as follows:

|  | By eqn. (1) | By eqn. (2) | By eqn. (4) | By expt. |
| :--- | :---: | :---: | :---: | :---: |
| Furan $\ldots \ldots \ldots \ldots \ldots \ldots \ldots .$. | 0.92 | 0.93 | 0.93 | $0.99 \pm 0.06$ |
| Thiophen $\ldots \ldots \ldots \ldots \ldots \ldots$. | 0.94 | 0.94 | 0.94 | $0.945 \pm 0.16$ |

The situation with thiophen is satisfactory; it is less so with furan. However, in both cases all equations give the correct qualitative forecast-that $\mu_{\mathrm{gas}}$ exceeds $\mu_{\mathrm{C}_{4} \mathrm{H}_{\mathrm{a}}}$.

The Ratios $\mu_{\text {iquid }} / \mu_{\text {gas }}$.-The dielectric constant of liquid furan, measured relatively to benzene at $25^{\circ}$, is 2.942 , its density is 0.9313 g ./c.c., whence ${ }_{\mathrm{T}} P_{\text {liquid }}=28.72$ c.c. and $\mu_{\text {iquid }}=0.67 \mathrm{D}$. Buckingham and Le Fèvre's equation (5) requires $\mu_{\text {liquia }} / \mu_{\text {gas }}$ to be 0.87 , but the value found is 0.93 . For thiophen we have $\varepsilon_{25}=2.705, d_{4}^{25}=10583$, and ${ }_{\mathrm{T}} P_{\text {liquid }}=28.81$ c.c., so $\mu_{\text {liquid }}=0.49 \mathrm{D}$ and $\mu_{\text {liquid }} / \mu_{\text {gas }}=0.89$; equation (5) predicts this ratio as 0.89 also.

Thus from $\varepsilon, d$, and $n_{\mathrm{D}}$ observations on the pure materials we should expect $\mu_{\text {gas }}$ to be 0.77 and 0.55 D , respectively. Incorrect as is the former figure, it is a better estimate of $\mu_{\text {gas }}$ than that produced by Onsager's equation (No. 7 in Buckingham and Le Fèvre, $l o c$. cit.), which with the data used here leads to 0.42 D for furan and 0.46 D for thiophen.

Atomic Polarisations.-Using the molecular refractions listed by Landolt-Börnstein (" Tabellen, 4th edn., p. 1029) for various wave-lengths, Kubo (loc. cit.) calculated $R_{\infty}$ for thiophen as 22.7 c.c.; from the same source we now obtain 17.9 c.c. for furan. From the $P-1 / T$ relations given above, atomic polarisations of furan and thiophen follow as $1.7 \pm 0.5$ and $1.1 \pm 0.7$ c.c. (or about 10 and $5 \%$ of $R_{\infty}$ ), respectively. With diethyl ether and sulphide the magnitudes stand in the same order (vi..., ca. 2.5 and 1.6 c.c.figures which are $c a .11$ and $6 \%$ of the corresponding electronic polarisations; cf. Barclay and Le Fèvre, J., 1952, 1643 ; Kubo, loc. cit.).

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[^0]:    * Subscripts 1 and 2 refer to solvent and solute respectively. This is the reverse of the convention followed by Le Fèvre for many years (cf. $J ., 1952,1932$ ). A solution is denoted by the subscript 12.

